

# caeleste



Intertech Pira

Image Sensor Conference

London 19-20 March 2008

## DC and AC High Dynamic Range pixels

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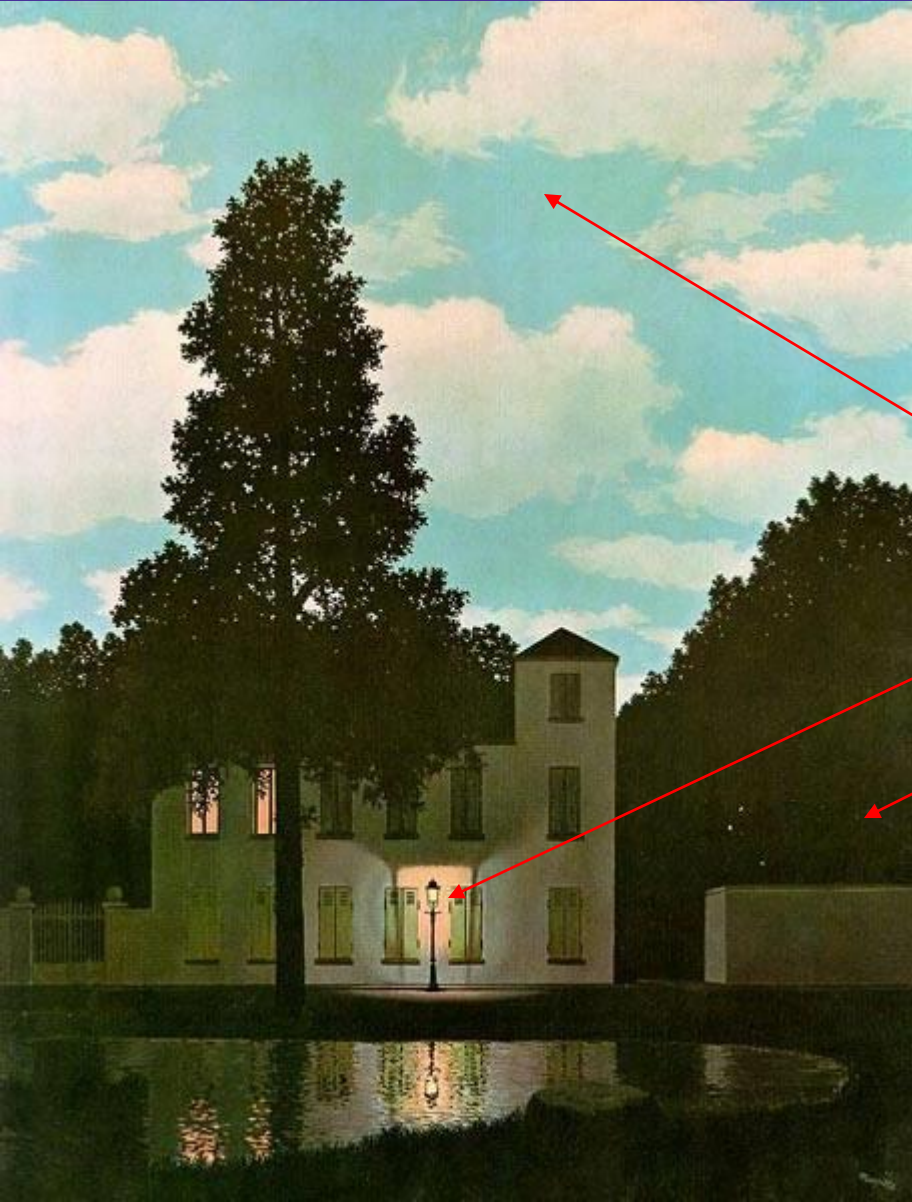
# Contents

1. Why do we need a high dynamic range sensor?
2. Definitions of DR
3. Obtain a high DC dynamic range by non-linearity
4. AC high dynamic range pixel
5. Conclusions

# Outline

1. Why do we need a high dynamic range sensor?
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# A high dynamic range scene



René Magritte, "l' Empire des lumières" 1954

Ceci n'est pas une  
"High dynamic range scene"

100000 lx

100 lx

< 1 lx



Highlight  
partly overexposed

**Capture the whole scene,  
and then try to recover  
detail and contrast over  
the full scene dynamic  
range**

In the shadow of a  
dark scene

# Why do we need a wide dynamic range sensor?

## DC

- To catch highlights
- To allow us to be lazy and not adjust camera speed to the scene
- To discriminate objects in any part (dark/bright) of the scene / picture

→ Catch the whole scene / range

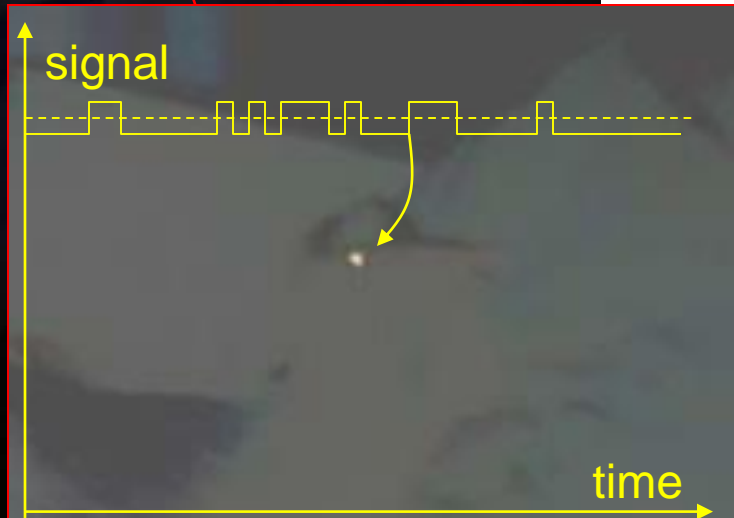


# AC high dynamic range



***Not:*** capture the whole range (“DC”)

***But:*** capture the time varying small signal of interest in the presence of a large DC background



# Why would we need a wide dynamic range sensor?

## AC

- To extract *AC information only* from a scene
- To recover weak AC information buried in a large DC background
  - Narrow band: exchange noise  $\sim$  noise bandwidth
- For specific purposes
  - Distance ranging
    - time of flight method
  - Time gating
    - making the sensor sensitive during precise times spans
  - Patterned light; 3D imaging; ...



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- 2. Definitions of DR**
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# Dynamic Range definition?

DR<sub>wikipedia</sub>

*Wikipedia:* “Dynamic range is a term used frequently in numerous fields to describe the ratio between the smallest and largest possible values of a changeable quantity, such as in sound and light.”

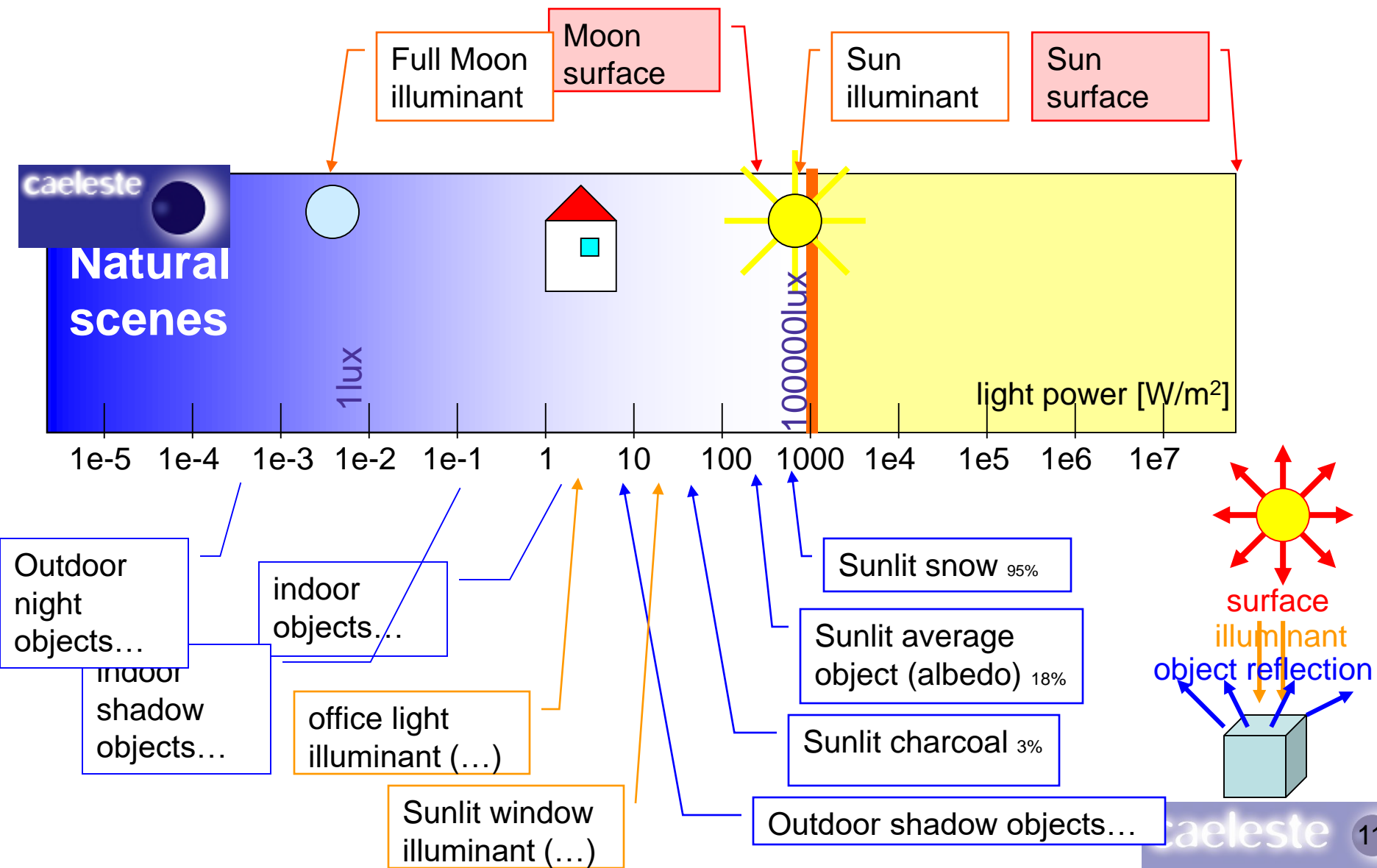
Applies to the scene, not to the sensor

- Our “changeable quantity” is “P”, “light”  
[W, W/m<sup>2</sup>, photons, lux...]
- “signal”, “S”, is the measurement result  
[V, ADC bits...]

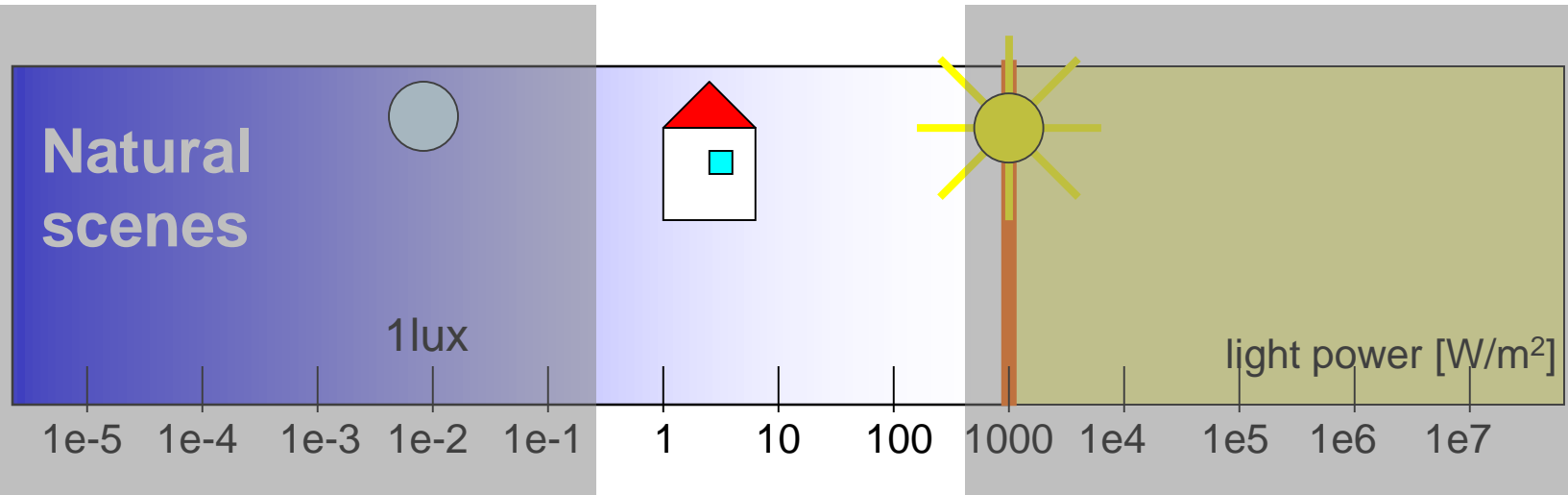
AC or DC

# Natural scenes

may have a huge dynamic range



# “linear” dynamic range definition



## Linear response sensor:

S/N or SNR = Dynamic Range?

- typical: Between 1000: 1 = 60 dB
- extreme high end: 10000:1 = 80 dB

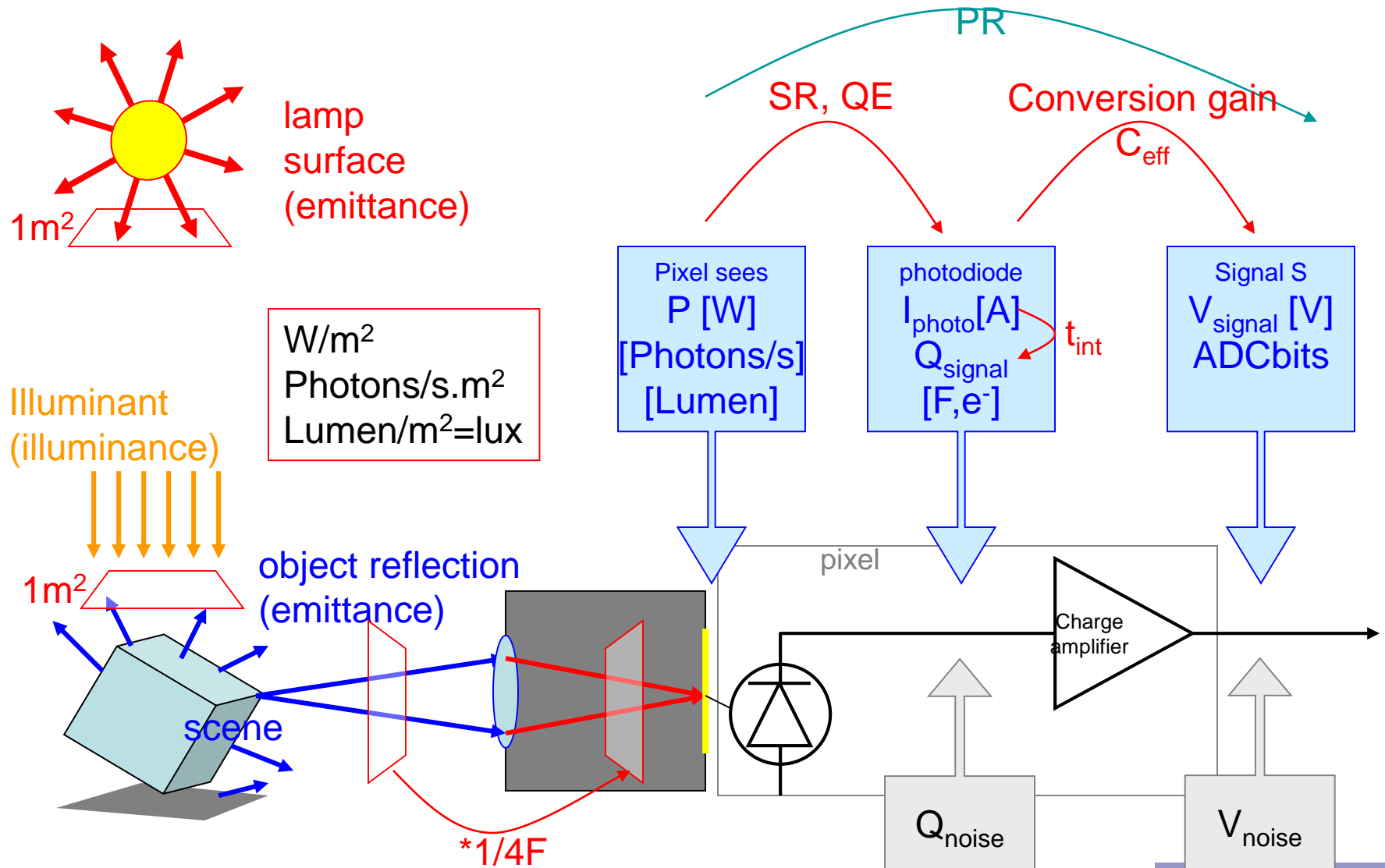
$$S_{\max} \approx 1V, N \approx 1\text{mV}_{\text{RMS}}$$

$$S_{\max} \approx 2V, N \approx 200\mu\text{V}_{\text{RMS}}$$

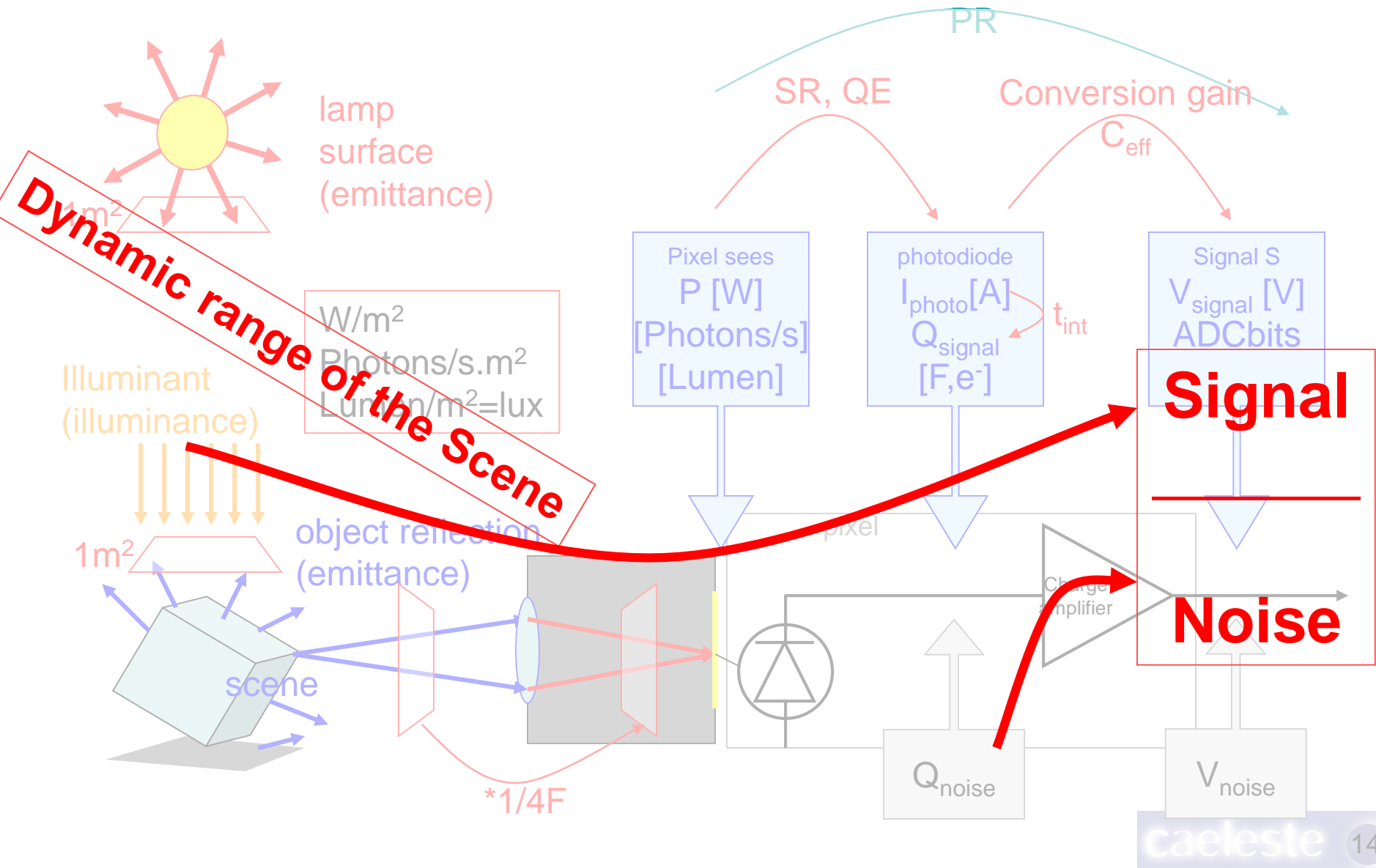
## dynamic range definition no.1

“DR is in light power domain what  $S_{\max}/N_{\min}$  is in voltage (signal) domain”

# Image sensor detection chain

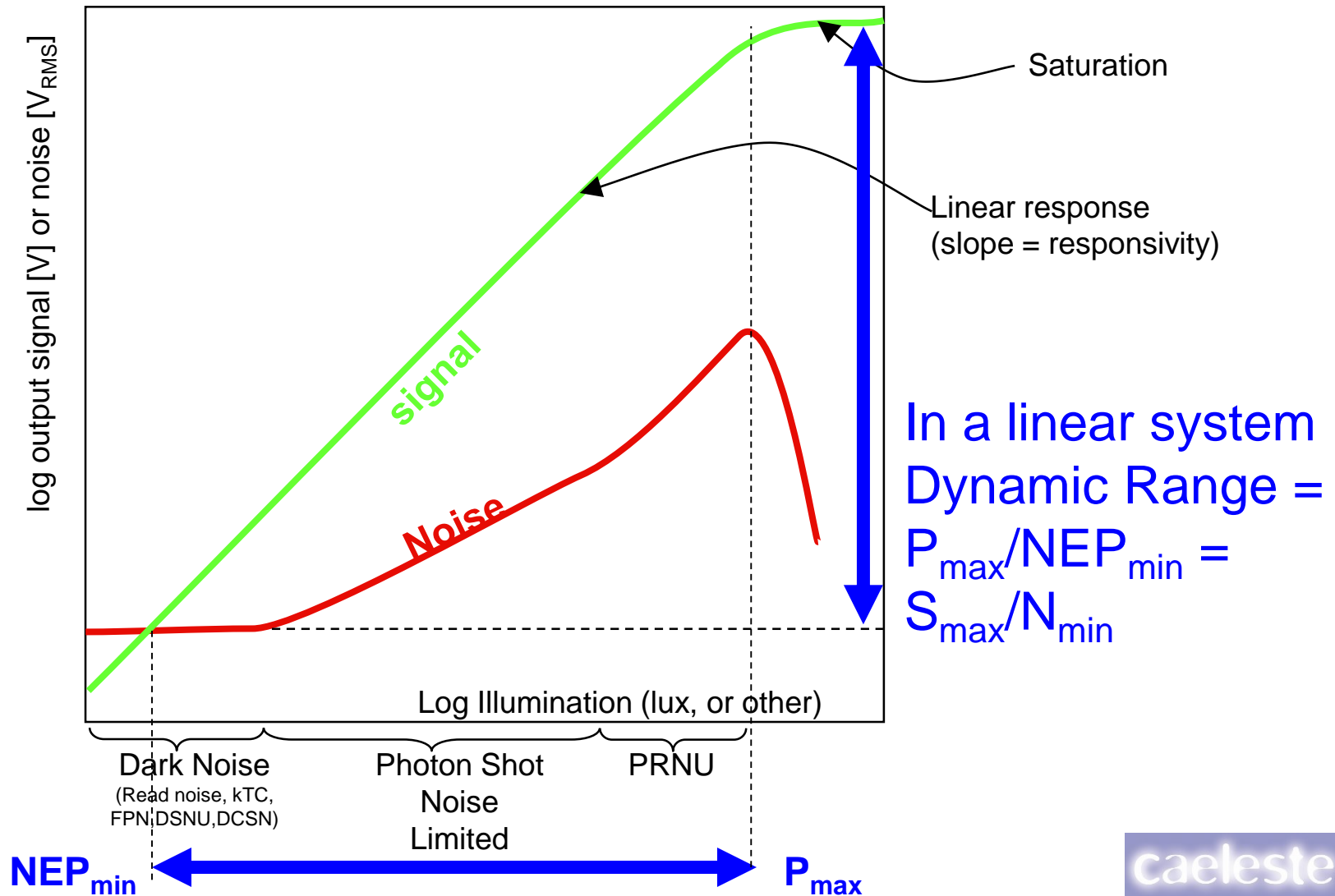


# Image sensor detection chain





# DR = S/N ?



# How to push DR beyond $S_{\max}/N_{\min}$

**In a linear, DC coupled, system, Dynamic Range is very closely related to Signal/Noise**

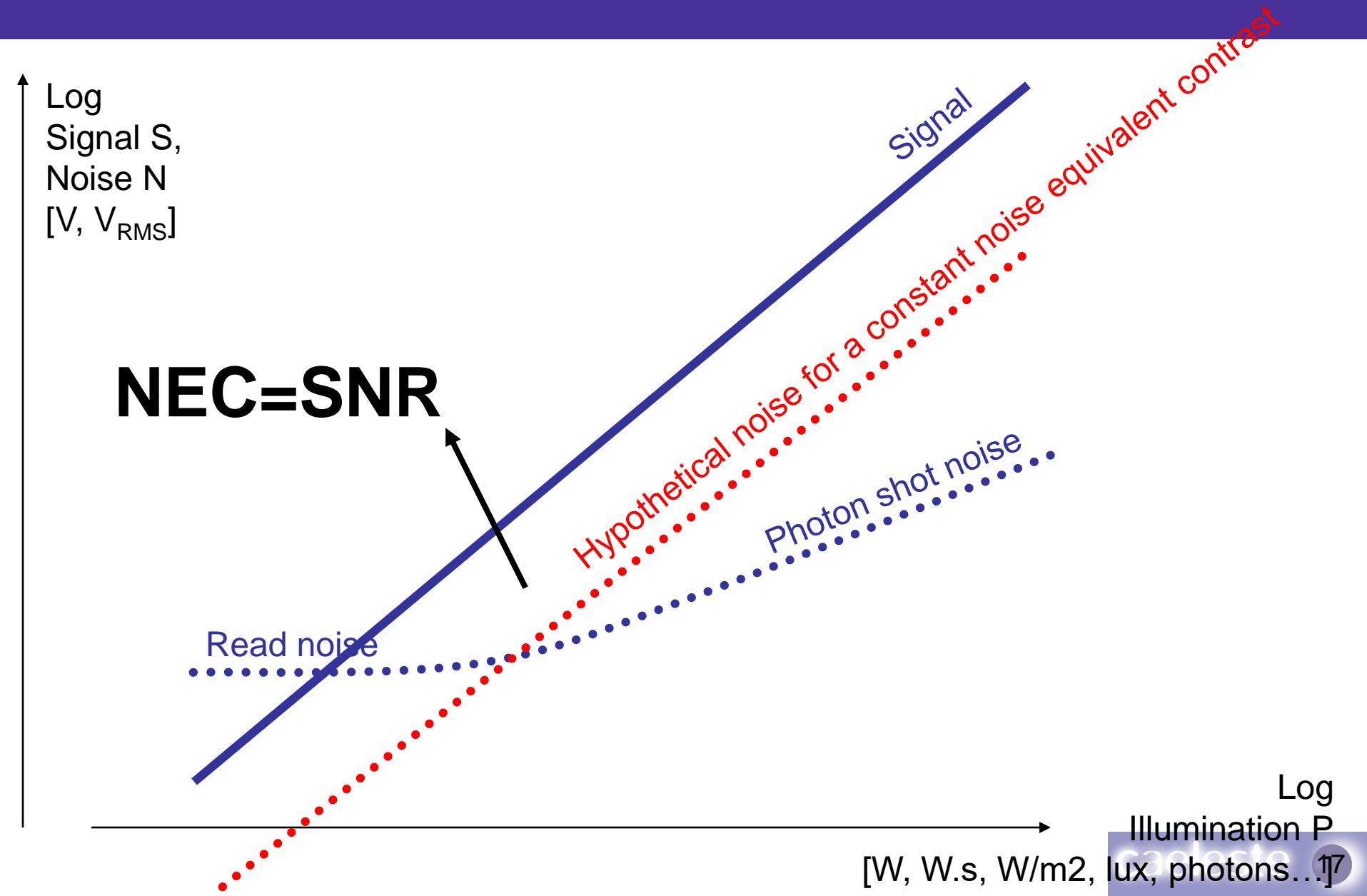
$$DR = \frac{P_{\max}}{NEP_{\min}} \approx \frac{V_{signal_{\max}}}{V_{noise_{\min}}} < \dots 10000:1$$

**Ways out:**

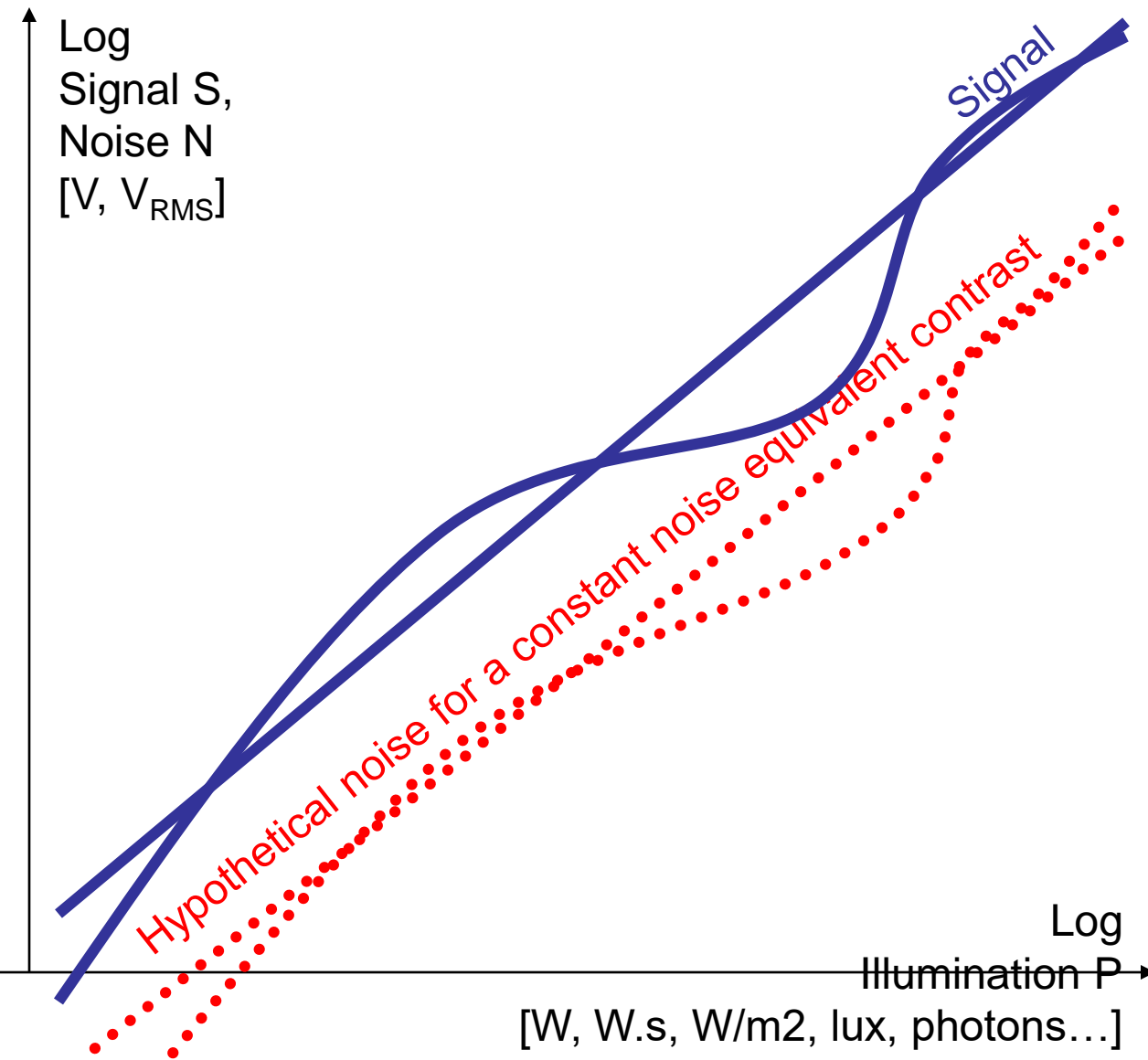
⇒ **Non-linear response**

⇒ **AC signal detection** ⇒ **AC dynamic range**

# Constant N.E.Contrast - linear



# Noise Equivalent Contrast - **general**



$$NEC = \frac{P}{NEP}$$

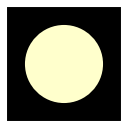
$$NEP = \frac{\bar{N}}{\text{Photoresponse}} = \frac{\bar{N}}{\left( \frac{\partial S}{\partial P} \right)}$$

$$NEC = \frac{P}{NEP} = \frac{P \cdot \frac{\partial S}{\partial P}}{N}$$

# DC Dynamic Range definitions

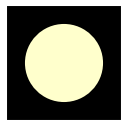
## Further attempts for definition

You can vote

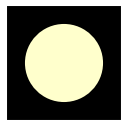


The range of light intensity levels that can be captured by the image sensor within a single frame

$DR_{SNRmax}$

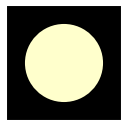


The range of illumination levels on a similar object within the same frame, for which the object is recognizable (=decent contrast, after image processing)



The range of intensities that can be captured, for which the SNR has at least a certain value

$DR_{SNR10}$



The range of intensities that can be captured for which the Noise Equivalent Contrast (NEC) has at least a certain value

$DR_{NEC10}$

# Summary of definitions for [DC] dynamic range

definition	Symbol	How to obtain
Signal to Noise Ratio	$S/N_{\max}$ $SNR_{\max}$	sensor signal voltage range / sensor signal noise in the dark
Differential or small-signal signal to noise ratio	$dS/dN$ $dSNR$	signal voltage / signal noise at that same signal level
Noise equivalent contrast ratio	NEC	The ability to discriminate between nearby grey levels $= 1/(dSNR) * PR$ (where $PR$ =photo response)
Dynamic range	$DR_{\max}$	Saturation <i>intensity</i> divided by noise equivalent <i>intensity</i> in the dark In a linear system this is the same as $SNR_{\max}$ .
Generalized dynamic range	$DR_{SNR1}$	the ratio between upper and lower <i>intensities</i> for which $dSNR \geq [\text{value}]$
Generalized dynamic range	$DR_{NEC10}$	the ratio between upper and lower <i>intensities</i> for which $NEC \geq [\text{value}]$
Linear dynamic range	$LDR_x$	$DR_x$ with largest intensity for which $d\text{Volt}/d\text{Intensity}$ is linear
ADC (E)NOB		Number of (effective) bits in the sensor's digital output
bits		Number of bits after image processing



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# Obtain high *DC* high dynamic range by non-linearity

## **non-linear response**

- a way to increase the sensor's capability to capture a wide dynamic range scene
- a way to exploit the fact that the noise level depends on the scene contents

# We need a high NEC

## Goals

1. make a pixel that can capture a high DC dynamic range – *means actually*
2. reach a constant or minimal NEC over the largest possible [dynamic range]<sub>wikipedia definition</sub>

## Assumptions

1. NEC is needed to allow recovery of details in all parts (dark, bright) of the scene
2. **Unproven underlying hypothesis: the largest range is obtained when NEC is just large enough, i.e. constant**

$$NEC = \frac{P}{NEP} = \frac{P \cdot \frac{\partial S}{\partial P}}{N} = \text{constant}$$

# In search for a high DR

- Exercise of thought:
  - Obtain the constant NEC by exploiting non-linear response
    - Increase DR by sacrificing NEC where it is sufficient
  - Non-linear response is obtained by
    - A non-linear transconductance, gain or  $C_{\text{effective}}$
    - A non-linear integration time  $t_{\text{int}}$

$$V_{\text{signal}} = \frac{t_{\text{int}} \cdot I_{\text{photo}}}{C_{\text{eff}}}$$

$$V_{signal} = \frac{t_{int} \cdot I_{photo}}{C_{eff}}$$

$$V_{signal} = \frac{Q_{signal}}{C_{eff}}$$

$$V_{noise} = \frac{Q_{noise}}{C_{eff}}$$

### **Modulation of the integration time**

- Multiple slope response (piece-wise linear slopes)
- Non Destructive Readout

### **Modulation of the time constant**

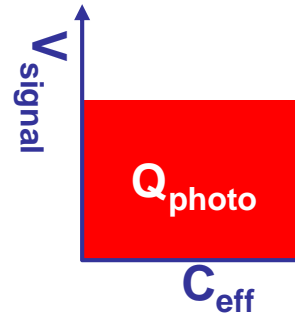
- Logarithmic response
- Lin-log

### **Modulation of the integration capacitance**

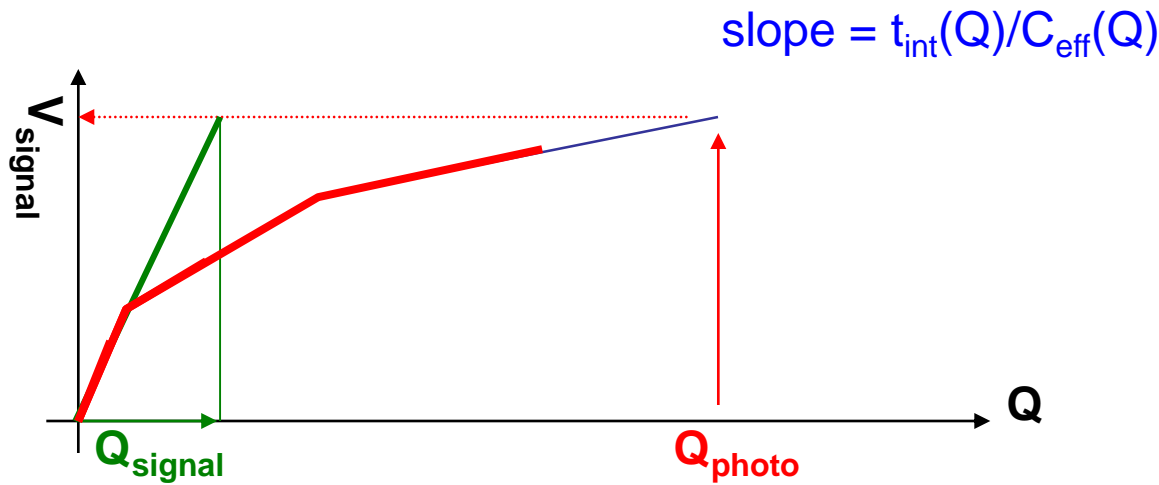
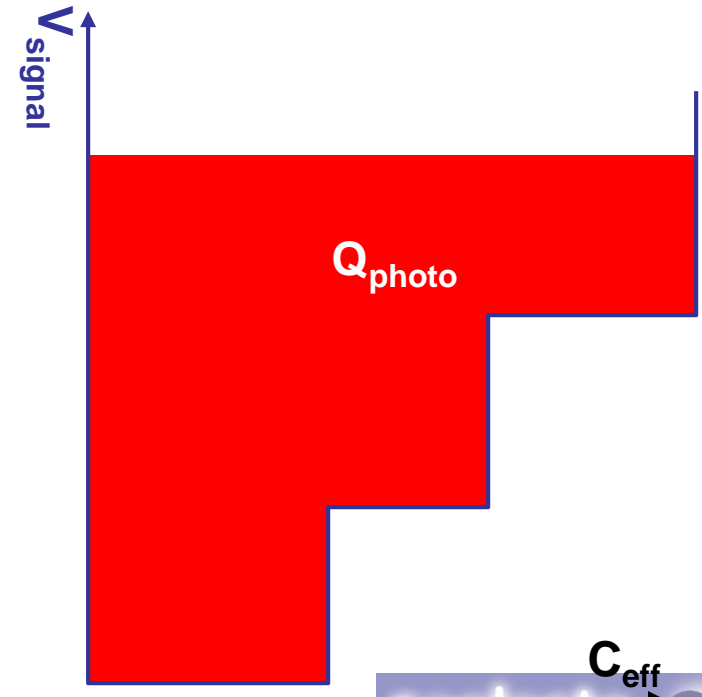
- CCD with two wells
- Overflow MOSFET capacitors
- Adding multiple shorter integration periods
- Smart reset pixels

# Non-linear $V_{\text{signal}}(Q)$

$$V_{\text{signal}} = \frac{t_{\text{int}} \cdot I_{\text{photo}}}{C_{\text{eff}}} \quad (\text{linear})$$



$$V_{\text{signal}} = \sum \frac{t_{\text{int}} \cdot I_{\text{photo}}}{C_{\text{eff}}} = \frac{Q_{\text{photo}}}{t_{\text{int max}}} \cdot \sum \frac{t_{\text{int}}(Q)}{C_{\text{eff}}(Q)}$$





# NEC as function of $V_{\text{signal}}(Q)$

$$NEC = \frac{P}{NEP} = \frac{P \cdot \frac{\partial S}{\partial P}}{N}$$

$$S = V_{\text{signal}} = \sum \frac{t_{\text{int}} \cdot I_{\text{photo}}}{C_{\text{eff}}} = \sum \frac{t_{\text{int}} \cdot P \cdot SR}{C_{\text{eff}}}$$

$$V_{\text{signal}} = S$$

$$V_{\text{noise}} = N$$

$SR = \text{Spectral Response [A/W]}$

$$\frac{\partial S}{\partial P} = \sum SR \cdot \left( \frac{t_{\text{int}}}{C_{\text{eff}}} + \frac{\frac{\partial t_{\text{int}}}{\partial P} \cdot P}{C_{\text{eff}}} - \frac{t_{\text{int}} \cdot P \cdot \frac{\partial C_{\text{eff}}}{\partial P}}{C_{\text{eff}}^2} \right)$$

When one lets integration time depend on P or  $Q_{\text{photo}}$

$$NEC = \frac{P}{N} \cdot \frac{\partial S}{\partial P} = \frac{SR \cdot \left( \frac{t_{\text{int}} \cdot P}{C_{\text{eff}}} + \frac{\frac{\partial t_{\text{int}}}{\partial P} \cdot P^2}{C_{\text{eff}}} - \frac{t_{\text{int}} \cdot P^2 \cdot \frac{\partial C_{\text{eff}}}{\partial P}}{C_{\text{eff}}^2} \right)}{N}$$

When one lets  $C_{\text{eff}}$  depend on P or  $Q_{\text{photo}}$

# NEC = constant, exercise

- Postulate  $NEC = \text{constant}$

- Hence 
$$NEC = \frac{P}{NEP} = \frac{P \cdot \frac{\partial S}{\partial P}}{N} = \text{constant}$$

- Will impose a relation for  $S(P)$ , via  $t_{\text{int}}(P)$  or  $C_{\text{eff}}(P)$
- This relation depends on  $N$  or  $N(P)$

Note:  $S \equiv V_{\text{signal}}$ ,  $N \equiv V_{\text{noise}}$

# keep NEC constant by varying $t_{\text{int}}$ or $C_{\text{eff}}$ during integration

$t_{\text{int}}$  varies

$C_{\text{eff}}$  varies

Nature of  
noise N

Noise sources that  
persist after calibration  
in high end imagers

$$NEC = \frac{SR \cdot \left( \frac{t_{\text{int}} \cdot P}{C_{\text{eff}}} + \frac{\frac{\partial t_{\text{int}}}{\partial P} \cdot P^2}{C_{\text{eff}}} \right)}{N}$$

$$NEC = \frac{SR \cdot \left( \frac{t_{\text{int}} \cdot P}{C_{\text{eff}}} + \frac{t_{\text{int}} \cdot P^2 \cdot \frac{-\partial C_{\text{eff}}}{\partial P}}{C_{\text{eff}}^2} \right)}{N}$$

$$NEC = \frac{Q_{\text{photo}} \cdot \frac{\partial Q_{\text{signal}}}{\partial Q_{\text{photo}}}}{Q_{\text{noise}}}$$

$$NEC = \frac{Q_{\text{photo}}}{Q_{\text{noise}}}$$

Constant charge<sub>RMS</sub>

kTC noise

$t_{\text{int}} \sim 1/Q$

$C_{\text{eff}} \sim Q^2$

Constant voltage<sub>RMS</sub>

EMI, read noise, ADC...

$t_{\text{int}} \sim 1/Q$

$C_{\text{eff}} \sim Q$

$\sim \sqrt{\text{power}}$

PSN

$t_{\text{int}} \sim 1/Q$

No solution

$\sim \sqrt{t_{\text{int}}}$

DCSN

$t_{\text{int}} \sim 1/Q^2$

No solution

$\sim \text{power}$

PRNU

Always fulfilled

Always fulfilled

$\sim t_{\text{int}}$


DSNU

No solution

No solution

# Interpretation

The relations  $t_{\text{int}} \sim 1/Q$  and  $C_{\text{eff}} \sim Q$  found are essentially “logarithmic responses”

$$V_{\text{signal}} = \frac{1}{t_{\text{int max}}} \cdot \int_0^{Q_{\text{photo}}} \frac{t_{\text{int}}(Q)}{C_{\text{eff}}(Q)} dQ \sim \int_0^{Q_{\text{photo}}} \frac{1}{Q} dQ$$


$$V_{\text{signal}} \sim \log_n(Q_{\text{photo}}) + Cte$$

Is a consequence of imposing a constant NEC

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# Examples of AC information

- Extract a modulated light source from a DC background
  - E.g. recognize an IR remote control or an IR transmitter in a scene
  - Artificial light source flicker detection
- Time of flight
  - Ranging: sample and time stamp the light returning from an illuminator
- Time gating
  - Acquire light only during precise fractional time spans
  - Acquire only light from a certain distance – as reflected from a short illuminator pulse – or signals at very precise moments – or an accurate global shutter.



# Extract AC from DC

- How to extract AC information from a huge dynamic range scene

⇒ Brute force: acquire multiple DC frames, and demodulate off line

**Sensor must handle full DR;  
and many frames**

**Uncorrelated noise accumulates**

⇒ More subtle: Subtract DC part from the signal, acquire the AC part only and demodulate off-line or in electrical domain

**Sensor must only handle AC**

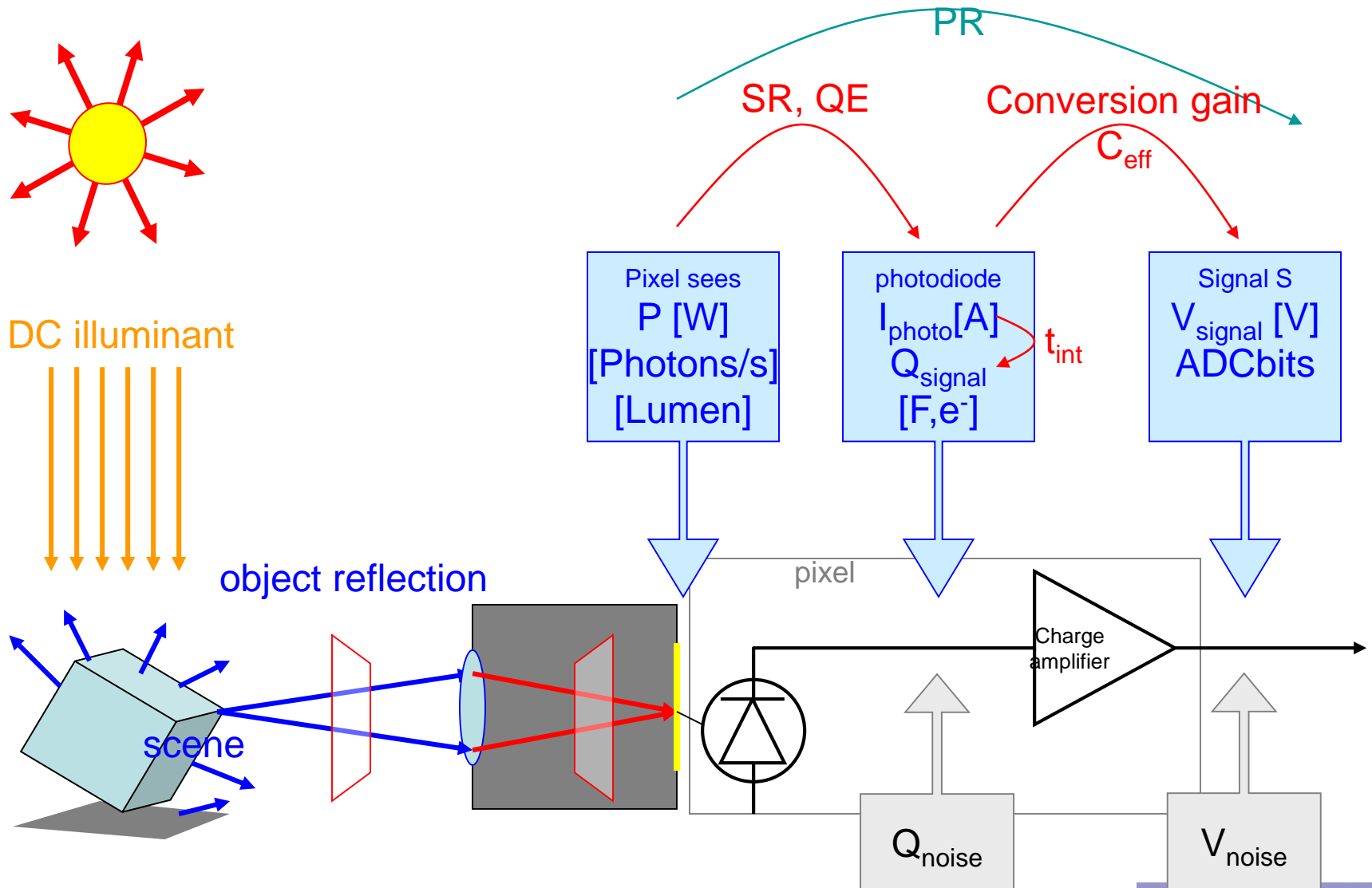
**Uncorrelated noise accumulates**

⇒ Best: demodulate in optical or charge domain and acquire that image

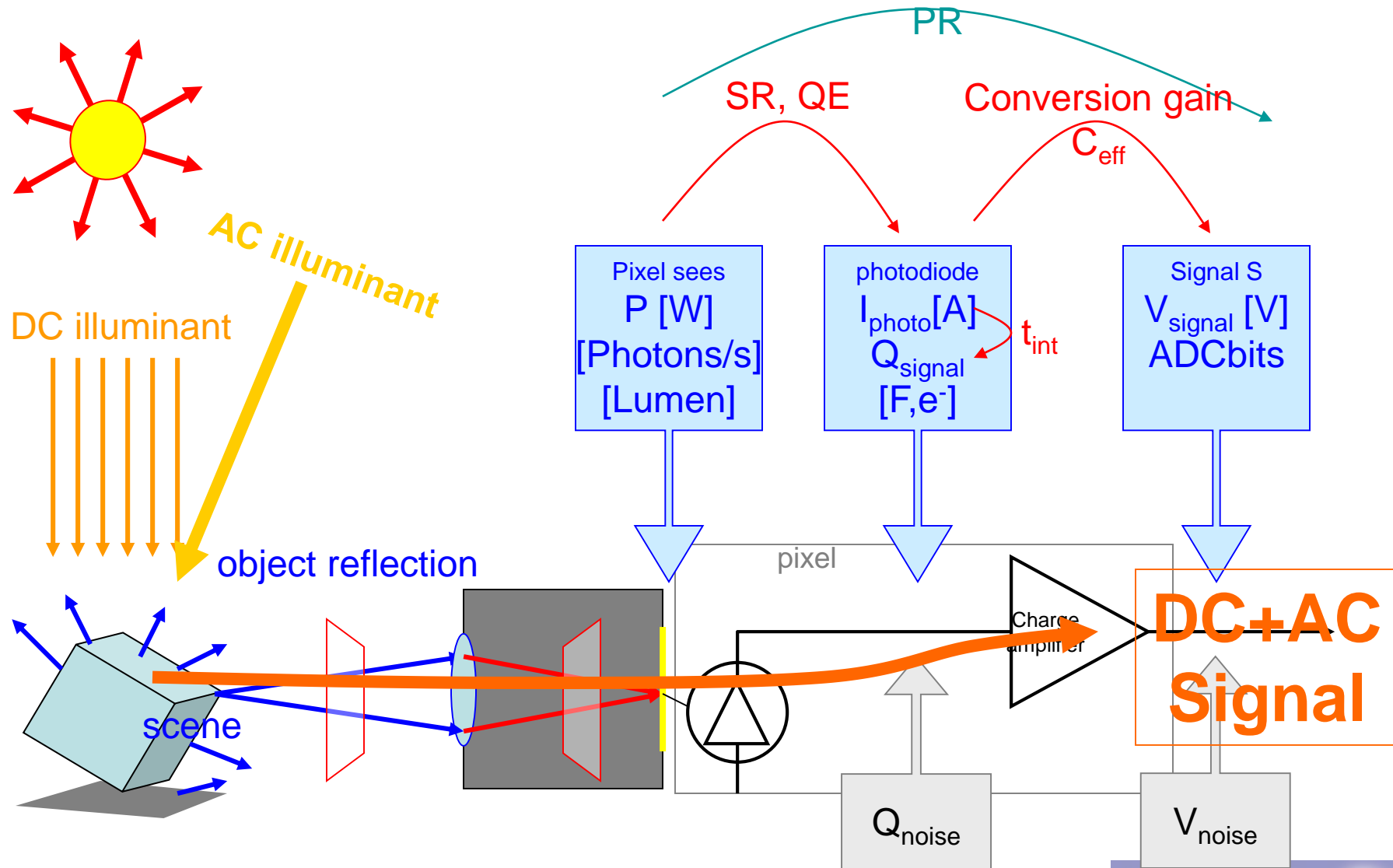
**Sensor must only handle AC**

**No uncorrelated noise**

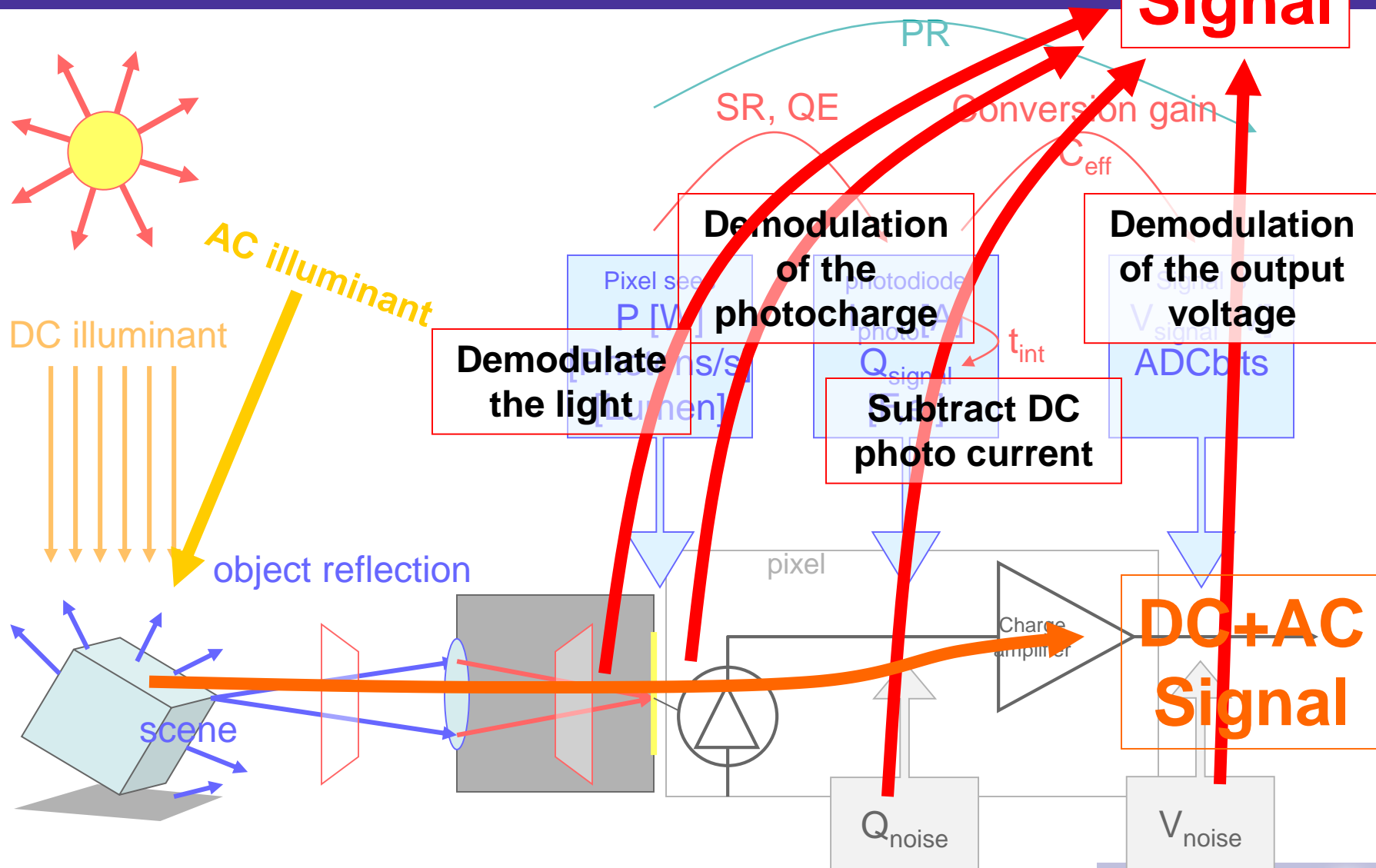
# Image sensor detection chain



# Image sensor detection chain

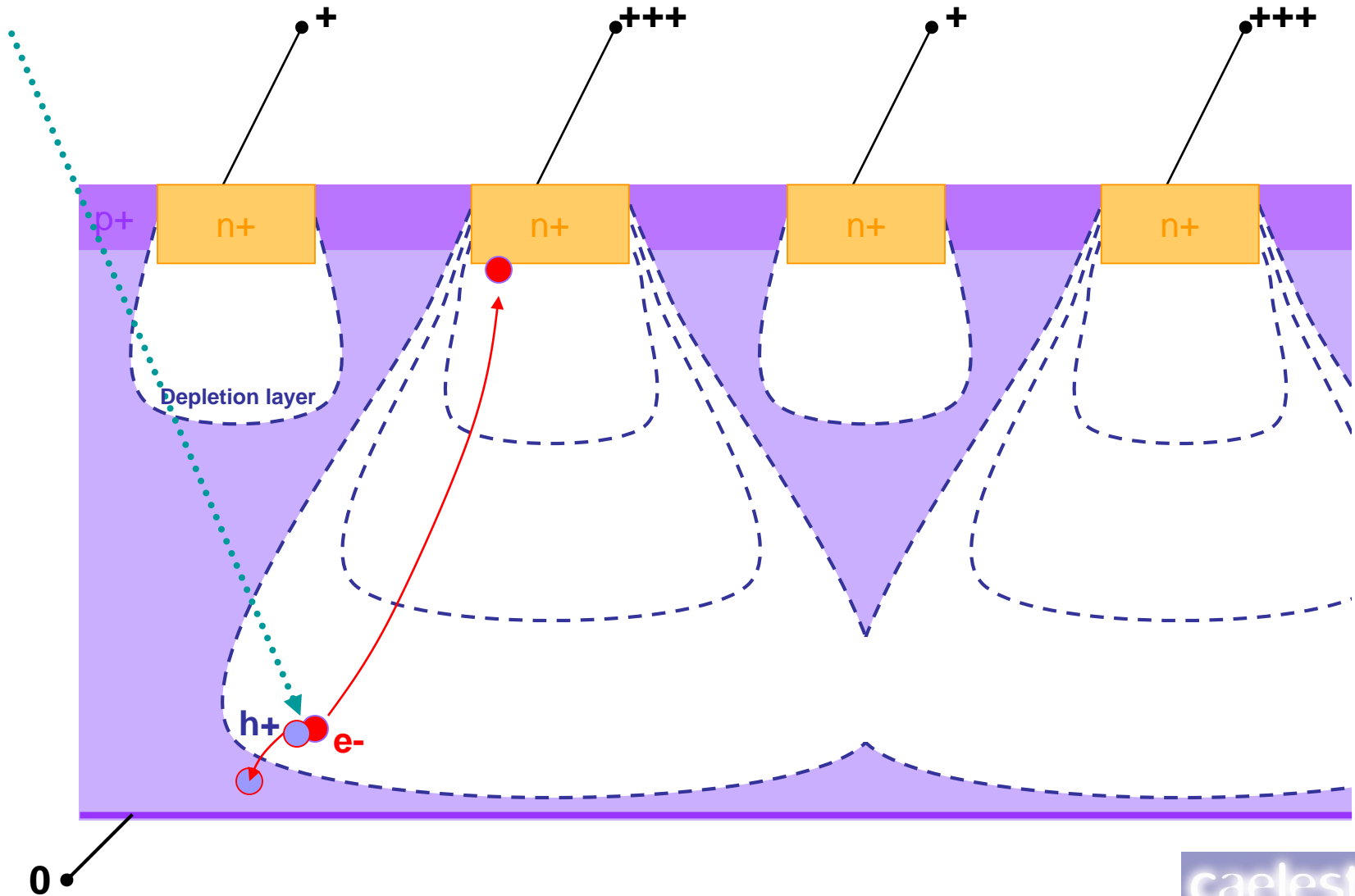


# Image sensor detection chain



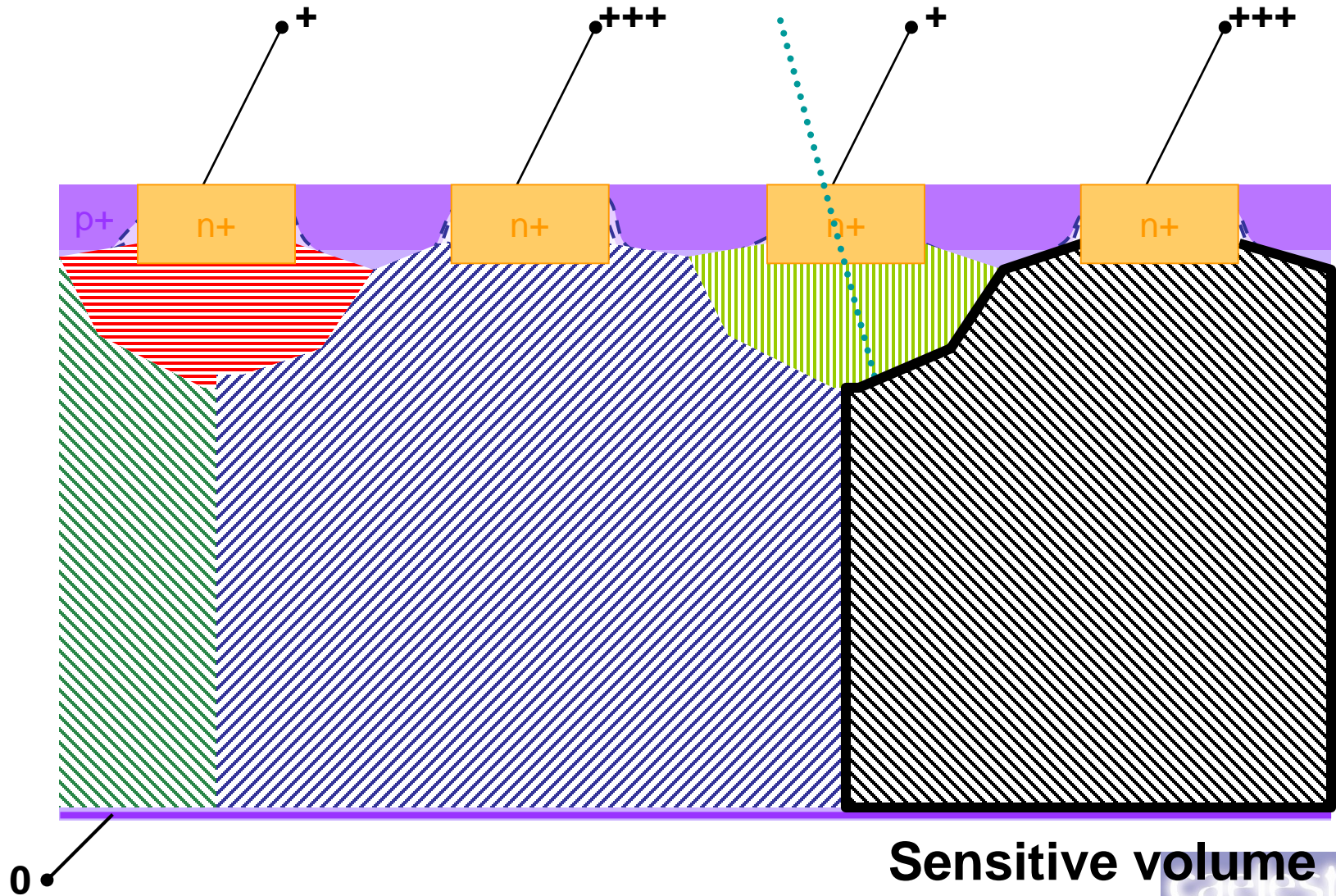
time gating pixel  
demodulating in charge domain

# Continuously tunable sensitive volume

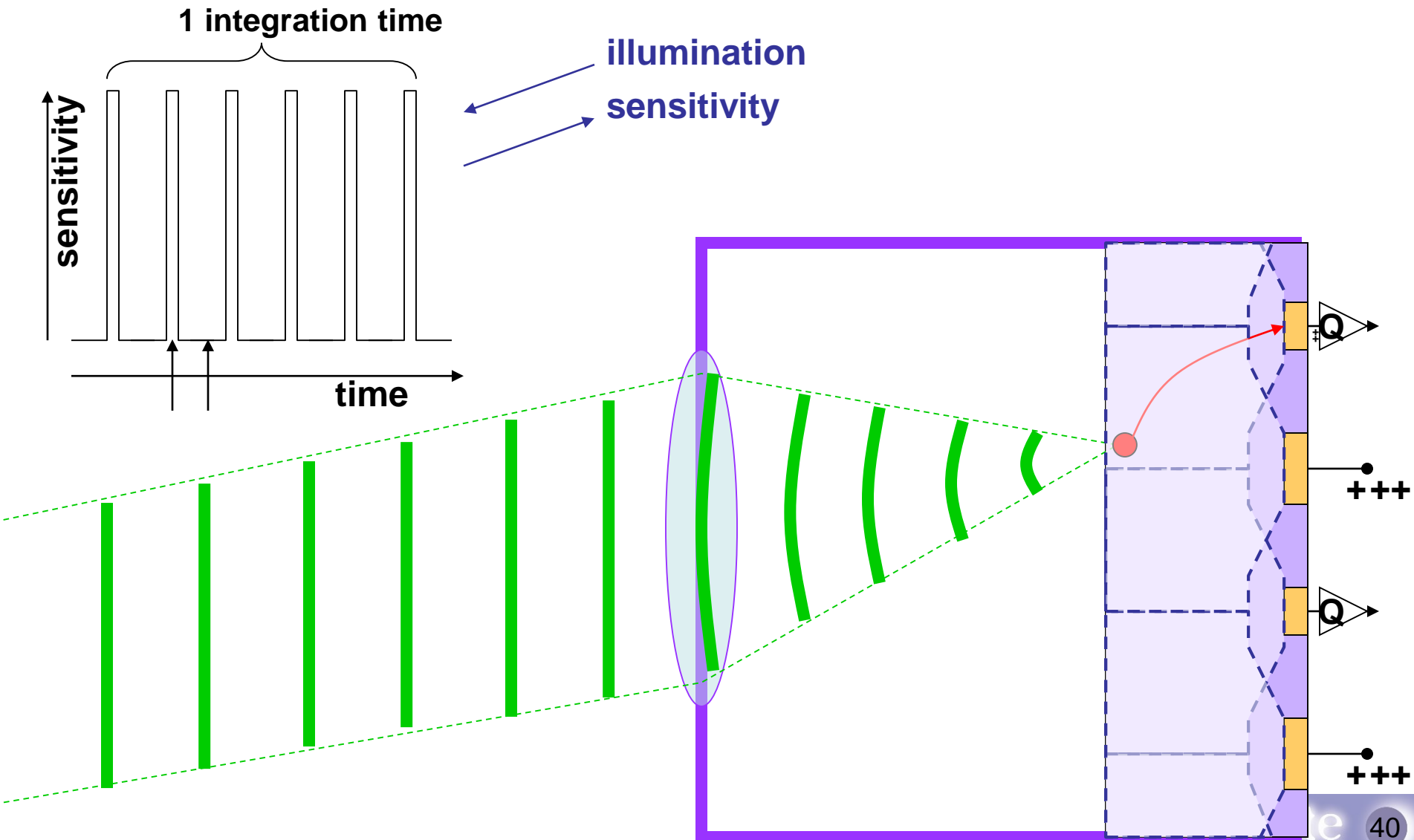


# Continuously tunable sensitive volume

Patent pending



# Time gating





# Preliminary device specs

## Geometrical

- Array: 360x720 pixels
- 30 fps nominal
- Pixel pitch 20  $\mu\text{m}$
- Technology: 0.35 $\mu\text{m}$  CMOS
- Substrate: backside thinned,  $5\text{E}12/\text{cm}^3$  p-type
- Gating / switching speed:  $\ll 1\text{ns}$  effective
- Gating on/off cycle:  $>100\text{kHz}$

## Electro-optical

- Full well 50000 e-
- Read noise: 20e- (below kTC) per pixel/frame
- QE  $> 80\%$  visible range
- $PS(\lambda)$  Parasitic sensitivity when gate is off  $< 1\%$  in BSI
- DC/AC suppression factor: minimum of PS and duty cycle.
- Shortest global shutter time  $< 1\text{ ns}$

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# Worth remembering

- *High dynamic range* is a property of the scene and light source.
  - The sensor has to accommodate.
- **DC**: When you want to acquire the “scene”:
  - One must apply some form of non-linear response
    - ⇒ have a sufficient NEC in all parts of the image/scene
- **AC**: When you want to extract AC information from the large DC background:
  - Demodulate as early as possible: in optical or charge domain, better than in voltage domain or off-line
    - ⇒ have as high as possible NEC for the AC signal only